DeepCoder: Learning to Write Programs

ICLR conference paper by Balog et al., 2017

Presentation by Harry Smith

Background Work & Main Ideas

"A dream of artificial intelligence is to build systems that can write computer programs"

Working up to AI-Written Computer Programs



Neural Turing Machines:

Is it *even possible* to have a machine learning model represent a program?

Graves, A., Wayne, G., & Danihelka, I. (2014). Neural Turing Machines. https://doi.org/10.3389/neuro.12.00 6.2007



Working up to AI-Written Computer Programs



Latent Predictor Networks for Code Generation



```
class DivineFavor(SpellCard):
 def __init__(self):
     super().__init__("Divine Favor", 3,
     CHARACTER_CLASS.PALADIN, CARD_RARITY.RARE)
```

```
def use(self, player, game):
 super().use(player, game)
 difference = len(game.other_player.hand)
 - len(player.hand)
 for i in range(0, difference):
     player.draw()
```

Ling, W., Grefenstette, E., Hermann, K. M., Kočiský, T., Senior, A., Wang, F., & Blunsom, P. (2016). Latent Predictor Networks for Code Generation. https://doi.org/10.1039/c0cc04507a

Latent Predictor Networks for Code Generation



Figure 4: Generation process for the code init ('Tirion Fordring', 8, 6, 6) using LPNs.

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Working up to AI-Written Computer Programs



Main Ideas

Main Ideas

- Learn to induce programs
 - Formulated as a big data problem: going from input-output pairs to code
 - Learn strategies that generalize across problems



def rev_sort(in):
 return reversed(sorted(in))

The Traditional Differential Interpreter Approach



Main Ideas



Main Ideas

- Learn to induce programs
 - Formulated as a **big data problem**
 - Learn strategies that generalize across problems
- Integrate NN architectures with search-based techniques
 - No need to replace search!
 - Use the power of differential interpreters

Inductive Program Synthesis (IPS)

The Basics of IPS

IPS is the problem of taking input-output examples and producing a program that has behavior consistent with the examples.

• How do we find consistent programs?

• How do we choose the best programs when there are multiple options?

The Basics of IPS

IPS is the problem of taking input-output examples and producing a program that has behavior consistent with the examples.

- How do we find consistent programs?
 - Requires a well defined set of acceptable programs that creates the search space
 - We also need an intelligent search procedure to move through this space

- How do we choose the best programs when there are multiple options?
 - Choose the shortest program?
 - Choose the first program found, with simple normalizations made?

Formulating an Approach to IPS: DSLs

Need to choose a Domain Specific Language (DSL) in which to synthesize problems

- Language should be useful in a certain domain; otherwise, the synthesis is useless.
- Language should be restricted to limit the search space
 - Can't search over all C++ programs!
 - Features like loops or ifs make more solutions consistent

Formulating an Approach to IPS: DSLs

Balog, M., Gaunt, A. L., Brockschmidt, M., Nowozin, S., & Tarlow, D. (2016). DeepCoder: Learning to Write Programs. Retrieved from http://arxiv.org/abs/1611.01989

 $a \leftarrow [int]$

DeepCoder's solution: an SQL-like query language

- Includes ints, int arrays, and booleans* as types
- Program is a sequence of function calls storing results in new variable names
- 34 functions are available, including first-order, higher-order, and lambda functions
 - No *explicit* control flow
 - The permissible lambdas are finite and enumerated, e.g. (<0) and (*4)

An input-output example:

 $b \leftarrow FILTER (<0) a$ Input: $c \leftarrow MAP (*4) b$ [-17, -3, 4, 11, 0, -5, -9, 13, 6, 6, -8, 11] $d \leftarrow SORT c$ Output: $e \leftarrow REVERSE d$ [-12, -20, -32, -36, -68]

Program 0: $k \leftarrow int$ $b \leftarrow [int]$ $c \leftarrow SORT b$ $d \leftarrow TAKE k c$ $e \leftarrow SUM d$	Input-output example: <i>Input:</i> 2, [3 5 4 7 5] <i>Output:</i> [7]	Description: A new shop near you is selling n paintings. You have $k < n$ friends and you would like to buy each of your friends a painting from the shop. Return the minimal amount of money you will need to spend.
Program 1: $w \leftarrow [int]$ $t \leftarrow [int]$ $c \leftarrow MAP (*3) w$ $d \leftarrow ZIPWITH (+) ct$ $e \leftarrow MAXIMUM d$	-	Description: In soccer leagues, match winners are awarded 3 points, losers 0 points, and both teams get 1 point in the case of a tie. Com- pute the number of points awarded to the winner of a league given two arrays w, t of the same length, where $w[i]$ (resp. $t[i]$) is the number of times team i won (resp. tied).
Program 2: $a \leftarrow [int]$ $b \leftarrow [int]$ $c \leftarrow ZIPWITH (-) b a$ $d \leftarrow COUNT (>0) c$	Input-output example: Input: [6 2 4 7 9], [5 3 2 1 0] Output: 4 [6 2 4 7 9] [6 2 4 7 9]	Description: Alice and Bob are comparing their results in a recent exam. Given their marks per ques- tion as two arrays a and b , count on how many questions Alice got more points than Bob.

Examples of programs written in the DSL, with the natural language descriptions. Balog, M., Gaunt, A. L., Brockschmidt, M., Nowozin, S., & Tarlow, D. (2016). DeepCoder: Learning to Write Programs. Retrieved from http://arxiv.org/abs/1611.01989



Need to solve the problem of how to find the code that satisfies the examples

- The goal of DeepCoder is to interface with an existing solver, using predicted attributes as a guide for search
 More on this in a moment...
- Once a method of predicting attributes of a program is fixed, DeepCoder can interface with the following:
 - DFS: Try all programs up to a certain length, and add the estimated most likely function at each step
 - **"Sort and add"**: Try all programs with the estimated most likely *k* functions, then on failure try again with the *k* + 1 most likely, etc.
 - <u>Sketch: an SMT-based tool,</u> which can incorporate program attributes into its own "sort and add" strategy
 - λ²: a tool that enumerates the search space, using deductive pruning. Designed for small functional programs on data structures! Also leverages "sort and add" from predicted attributes.

A word on Sketch and SMT solvers...

Recall that *Satisfiability Modulo Theories* (SMT) solvers are SAT solvers with theories like "algebra" or "inequalities"

X < Y; Y < -100

For example, an arbitrary search strategy over all integers might take quite some time to find a satisfying X, Y pair.

An SMT solver with algebra and inequality solves this almost instantly.

A word on Sketch and SMT solvers...

Sketch models an IPS problem as a hole in a code base that needs to be filled in using a set of available functions. Each function is transformed from its original definition to a mapping from constraints:



A word on Sketch and SMT solvers...

"Constraintified" Sample Program with hole in it

A <- *int array* B <- ????? C <- map (+1) B all of A in [-10, 10] ???????? all of C in [-19, 21] Function Library

plus_one(a_min, a_max, start_inclusive, end_inclusive): return a_min + 1, a_max + 1, start_inclusive, end_inclusive

minus_one(a_min, a_max, start_inclusive, end_inclusive): return a_min - 1, a_max - 1, start_inclusive, end_inclusive

times_two(a_min, a_max, start_inclusive, end_inclusive): return a_min *2, a_max *2, start_inclusive, end_inclusive

Find the function that takes the constraints in step A to the constraints after step C...

Formulating an Approach to IPS: Ranking

Need to pick the "best solution" of those which are discovered in search



Formulating an Approach to IPS: Ranking

Need to pick the "best solution" of those which are discovered in search



def f(arr): return 4 + min(arr) * 2

def f(arr): return $1 + 1 + 1 + 1 + \min(arr) + \min(arr)$

Formulating an Approach to IPS: Ranking

DeepCoder focuses on the search aspect of IPS, and does not define their ranking strategy.

• Possible candidates:

- Shortest is best
- Max-margin prediction
 - Assign scores so that ground-truth programs are

always scored higher than induced examples.

• Others?

Learning Inductive Program Synthesis (LIPS)

Recall that we need to link machine learning and search to efficiently synthesize programs.

How do we determine program attributes?



How do we determine program attributes?

From the input-output pairs!

Formally, we want to define an attribute function A which maps programs A into finite attribute vectors **a**:



How do we determine program attributes?

From the input-output pairs!

This way, given a set of input-output examples *E*, we can compute a distribution $q(\mathbf{a} | E)$. Then, we search over programs *P* ordered by q(A(P) | E).

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So what are these attributes?

- The identity function: A(P) = P?
- Control Flow Templates?
 - # of loops
 - # of conditionals
- Presence or absence of high-level functions?
 - Does program *P* ever use "SORT"?
 - Does program *P* end with a call to "MAP"?

 $a \leftarrow [int]$ $b \leftarrow FILTER (<0) a$ $c \leftarrow MAP (*4) b$ $d \leftarrow SORT c$ $e \leftarrow REVERSE d$

An input-output example:

Input: [-17, -3, 4, 11, 0, -5, -9, 13, 6, 6, -8, 11] Output: [-12, -20, -32, -36, -68]

Turning Programs into Attributes: Data Generation

How do we formulate this as a big data problem?

- Data Generation procedure:
 - Enumerate programs in the DSL
 - Prune those with redundant variables/instructions
 - $\circ \qquad \text{Generate valid inputs for a program}$
 - Enforce constraints on the output value(s)
 - Propagate constraints backwards up to input
 - Select inputs from the valid range and execute the program to get outputs.
 - If the input set is empty, discard the program
 - $\circ \qquad {\sf Read off the attribute vector from the program itself}$



Example of Data Generation: Rejecting an example program



Example of Data Generation: Rejecting an example program
Turning Programs into Attributes: the learning model

How are the attributes learned?

- A feed-forward neural network learns the mapping from input-output examples to attributes.
- The FF-NN contains two fundamental components
 - An *encoder*: a differential mapping from *M* input-output examples to a latent, real-valued vector
 - A *decoder*: a differential mapping from the latent vector to predictions on the ground truth's attributes

The Encoder

- 1. Represent the input/output types (singleton or array) as one-hot vectors
 - // E.g. <{0,1}, {1,0}> for a function that takes in an array and outputs an integer.
- 2. Pad all inputs and outputs to a maximum length *L* with null value
 - // The array [4, 3] becomes [4, 3, X, X, X] when L = 5
- 3. Map all integers to an E = 20 dimensional embedding
 - \circ // If the input to a problem is a length L array, the dimensionality of the input becomes E^*L
- 4. For each input-output example...
 - ...concatenate the embeddings of input types, output types, inputs, and outputs into a single vector
 - ... pass this vector through H = 3 hidden layers of K = 256 sigmoid units each
- 5. Take the arithmetic mean of all output vectors (one for each input-output pair) as the output of the encoder
 - // note that this output vector has dimensionality K

Embedding of integers

- No justification is given for the choice of *E* = 20 as the dimension for the embedding of the integers...
 - This is less than the total number of functions available
 - This is four times larger than the length of the programs on which they ran their experiments
 - Perhaps the break between 20 and 21 is where the NN was "no longer simple to train"
- Balog et al. initially experimented with values of *E* = 2 for programs of length *T* = 1 and found the result at right:



First embedding dimension $\phi_1(n)$

Figure 8: A learned embedding of integers $\{-256, -255, \ldots, -1, 0, 1, \ldots, 255\}$ in \mathbb{R}^2 . The color intensity corresponds to the magnitude of the embedded integer.

Balog, M., Gaunt, A. L., Brockschmidt, M., Nowozin, S., & Tarlow, D. (2016). DeepCoder: Learning to Write Programs. Retrieved from http://arxiv.org/abs/1611.01989

The Decoder

- 1. Pre-multiply the averaged vector (*K* x 1) by a final "decoding" matrix of dimension *C* x *K*, where *C* = 34, the number of functions in the DSL
- 2. Interpret the *C x* 1 resulting vector as the log-unnormalized probabilities of each function appearing in the source code.



Figure 2: Neural network predicts the probability of each function appearing in the source code.



Figure 7: Schematic representation of our feed-forward encoder, and the decoder.



Figure 7: Schematic representation of our feed-forward encoder, and the decoder.

The full architecture (dimensionality tracked in orange)

Turning Programs into Attributes: the learning model

How are the attributes learned?

- The NN is trained using negative cross entropy loss
- The outcome is the joint distribution *P*(**a** | *E*) of all attributes given the input-output examples
 - The distribution is only over single function presence or absence
 - Likely some power lost by ignoring the correlations among the functions

Experimental Results

- 1. Train the neural network on programs of length T = 3.
- 2. Create a test set of P = 500 programs, each of length T.
 - a. For each generated program, create 5 input-output examples
 - b. Ensure that each program in the test set is semantically distinct from all other examples
- 3. Produce attribute vectors for each program using the input-output pairs.
- 4. Use the attribute vectors with different search strategies to induce programs
 - a. Time the search process
 - b. Timeout after 10^4 seconds
 - c. Search space ~10^6
- 5. Compare the speeds of the attribute-guided searches to a baseline
 - a. Baseline strategy is considering the probability of each function appearing to be the overall probability of that function appearing in the dataset

Table 1: Search speedups on programs of length T = 3 due to using neural network predictions.

Timeout needed		DFS		Er	numerat	ion		λ^2		Ske	Beam		
to solve	20%	40%	60%	20%	40%	60%	20%	40%	60%	20%	40%	20%	
Baseline	41ms	126ms	314ms	80ms	335ms	861ms	18.9 <i>s</i>	49.6s	84.2s	$>10^{3}s$	$>10^{3}s$	$>10^{3}s$	
DeepCoder	2.7ms	33ms	110ms	1.3ms	6.1ms	27ms	0.23s	0.52s	13.5s	2.13s	455s	292s	
Speedup	15.2 imes	3.9 imes	2.9 imes	62.2 imes	54.6 imes	31.5 imes	80.4 imes	94.6 imes	6.2 imes	> 467 imes	> 2.2 imes	$>$ 3.4 \times	

If the time taken for four programs is 3s, 2s, 1s, 3s, then the timeout needed to solve 50% of problems is 2s.

- 1. Train the neural network on programs of length T = 4.
- 2. Create a test set of P = 100 programs, each of length T = 5.
 - a. For each generated program, create 5 input-output examples
 - b. Ensure that each program in the test set is semantically distinct from all other examples
- 3. Produce attribute vectors for each program using the input-output pairs.
- 4. Use the attribute vectors with different search strategies to induce programs
 - a. Time the search process
 - b. Timeout after 10^4 seconds
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Timeout needed		DFS			Er	numerat	tion	λ^2
to solve	20%	40%	60%	_	20%	40%	60%	20%
Baseline DeepCoder		$\begin{array}{c} 2887s \\ 514s \end{array}$				$>10^4 s$ 264s		$\begin{array}{c} 463s \\ 48s \end{array}$
Speedup	6.8 imes	5.6 imes	2.6 imes		907 ×	$>$ 37 \times	$>\!\!2 imes$	9.6 imes



- DFS: using neural network
- DFS: using prior order
- L2: Sort and add using neural network
- L2: Sort and add in prior order
- Enumeration: Sort and add using neural network
- Enumeration: Sort and add in prior order
- Beam search
- Sketch: Sort and add using neural network
- Sketch: Sort and add in prior order

Figure 5: Number of test problems solved versus computation time.



- DFS: using neural network
- DFS: using prior order
- L2: Sort and add using neural network
- L2: Sort and add in prior order
- Enumeration: Sort and add using neural network
- Enumeration: Sort and add in prior order

Experiment #1 Takeaways

• Enumeration enjoys a better speedup than DFS

- Hypothesized that the attribute vectors are more useful for a sort-and-add strategy than DFS anyway
- The authors cite other research to suggest that sort-and-add does not lose much or any power from ignoring correlations/positional dependence
- DFS is penalized quite heavily by making the wrong choice at the beginning, so it matters a lot more which function actually comes first
- The choice of a simple decoder (learned matrix) provides better results than an RNN decoder
 - Authors acknowledge that their strategy for training the RNN was somewhat unsuccessful

Performance of network

"Intuitively, the i-th row of this matrix shows how the presence of attribute i confuses the network into incorrectly predicting each other attribute j."

	HEAD	LAST	ACCESS	MINIMUM	MAXIMUM	AKE	DROP	ILTER	(0<	<0)	%2==1)	%2==0)	COUNT	MAP	NIN	IAX				IPWITH	CANLI	ORT	EVERSE	-1)	**2)	+1)	1)	*2)	(E,	*4)	(2)	3)	(4)	MU
HEAD	T	.17	.05 (12)	_	.09	+		.12	.06	<u> </u>	.07 (13)	.06 (15)	_	.16	~	.03 (13)	+ .06 (14)	.00 (13)	* .09 (12)	.05 (7)	.05 (15)	.03 (15)		.01 (14)			.03		.00 (14)	.06	.01 (14)	.02	.08	.00
LAST	.34	(45)		.01	.05	.07	.04	.09				.11				.11										.03					.13		.01	.02
ACCESS	.10	.19	(4)	1.17	.05	.10	.18	.16	.03	.09	.13		.03	.14	.18						.07			.02	.01	.04	.03			.03		.02	.03	.02
MINIMUM	.16	.22	.04		.12	.12	.08	.24	.03	.16	.13			.06	.34 (9)		.25									.02						.04	.02	.02
MAXIMUM	.25	.23	.22	.05		.08	.02	.10	.09	.04	.08	.06	.10	.05 (7)	.08	.04	.09 (9)	.08	.00	.03	.02	.04	.09	.01	.00	.02	.02	.02	.00	.00	.07	.01	.00	.00
TAKE	.05 (36)	.06 (40)	.04	.06	.02 (39)		.05	.12	.06	.05	.09	.02 (36)	.01 (38)	.05	.06	.05 (37)	.03 (34)	.00 (37)	.02 (32)	.11	.02 (35)	.03	.04	.00	.03	.01 (37)	.04	.02	.00	.02	.03	.01 (39)	.00	.00
DROP	.04	.03 (43)	.03	.03	.03	.11		.09	.06	.08	.09	.05	.01	.14	.06	.04	.09	.09	.00	.10	.03 (40)	.05	.08	.01	.01	.05	.06	.03	.02	.01	.02	.03	.01	.00
FILTER		.01		.02	.00	.03	.06		.06	.05 (87)	.07	.08	.05	.11	.08	.04 (91)	.11 (89)	.07	.01		.03			.05		.02	.03			.01	.05		.02	.00
(>0)	.03 (33)	.02	.01	.02	.01 (33)	.02 (32)	.07	.08		.13	.15	.13	.06	.16	.11	.11	.16	.05	.00	.05	.06		.04	.02 (33)	.01	.03	.02	.01 (33)	.00	.00	.05	.06	.03 (34)	.02
(<0)	.00 (33)	.01 (33)	.00 (32)	.00	.00 (33)	.01 (33)	.01 (32)	.00	.13		.07 (32)	.06 (33)	.01 (31)	.14	.11	.03 (27)	.13	.10	.01	.04 (3)	.02 (24)	.04	.01 (31)	.06	.01	.03	.04 (33)	.00	.00 (32)	.00	.04	.05 (33)	.04	.01 (32)
(%2==1)	.01	.01	.01	.04	.00	.06	.06	.05	.09	.11		.19	.06	.12	.12	.05	.07	.16	.00	.02	.06	.03	.06	.07	.00	.03	.03	.00	.00	.00	.03	.04	.06	.00
(%2==0)	.01	.01	.00	.00	.00	.02 (39)	.06	.03 (8)	.09	.09	.17		.04	.12	.05 (40)	.04	.09	.02 (33)	.00	.04	.02	.00	.05	.05	.00	.02	.04	.02	.00	.02	.06	.01	.01	.00
COUNT	.04	.02	.01	.01	.01	.03	.04	.18	.14	.24	.20	.16		.19	.15	.11	.10	.14	.00	.09	.07	.03	.05	.02	.00	.05	.03	.01	.00	.00	.03	.04	.06	.02
MAP	.01	.01 (248)					.02					.02	.01			.04	.11	.06	.05	.04						.05								.00
MIN							.02			.01			.02	.10		.07	.08	.04	.02	.00						.04								.00
MAX	.01						.01						.02	.15	.22		.07	.05 (99)	.02	.00						.03								.00
+	.01	.01	.01	.00	.01	.02	.01	.01	.02	.02	.02	.02	.00	.15	.06				.02	.00						.04								.00
	.01	.01	.02	.01	.00	.02	.00	.02	.03	.03	.03		.01	.15	.10	.07	.24			.01	.03	.02	.03	.03	.04	.03	.07	.03	.02	.04	.03	.04	.06	.00
*	.00						.01						.00	.24	.08	.03	.08	.08			.04					.03								.00
ZIPWITH	.01	.01			.01	.02	.01	.02	.03	.02	.03		.02	.14	.09	.04	.11	.08	.02		.04	.02	.04			.04					.04			.00
SCANL1				.01			.01	.01	.02	.01			.00	.14	.09	.05	.11	.09	.02	.03		.04	.03	.03							.01		.04	.00
SORT	.02		.00	.01	.01	.04	.07	.05	.01	.04	.03	.01	.06	.17	.18	.02	.09	.06	.00	.02	.09		.09	.06	.04	.03	.07	.03	.02	.01 (33)	.02		.01	.00
REVERSE	.00	.01	.00	.00	.00	.01	.09	.02	.02	.01	.02	.04	.06	.21	.16	.05	.01	.02	.03	.06	.08	.08			.01	.06	.11	.01	.00	.00	.04		.03	.00
(*-1)	.03	.04	.01	.01	.00	.02	.03	.05	.03	.03	.04	.03	.02		.16	.10	.06	.09	.02	.05	.06	.02	.13		.02	.05	.10	.02	.00	.03	.05		.03	.00
(**2)	.00	.01	.00	.03	.01	.01	.07	.01	.04	.00	.00	.01	.00		.12	.02	.06	.04	.39	.09	.05	.00	.02	.01		.04	.05	.01	.05	.07	.04	.01	.02	.00
(+1)	.00	.01	.00	.00	.00	.01	.04	.01	.01	.00	.04	.01	.01		.08	.03	.09	.02	.03	.06	.03	.01	.07	.03	.02		.43 (39)	.04	.01	.00	.06	.02	.03	.00
(-1)	.01	.01	.01	.01	.02	.02	.00	.02	.04	.03	.02	.01	.01		.04	.07	.12	.01	.05	.08	.03	.02	.05	.01	.07	.23		.04	.00	.02	.08	.03	.04	.00
(*2)	.01	.00	.00	.00	.01	.00	.00	.01	.01	.00	.00	.03	.00		.02	.01	.39	.03	.00	.10	.05	.07	.02	.01	.00	.01	.03		.01	.06	.03	.06	.02	.00
(*3)	.01	.00	.00	.00	.00	.00	.00	.00	.00	.00	.00	.00	.00		.02	.02	.14	.02	.08	.02	.06	.01	.06	.02	.04	.02	.02	.04		.05	.06	.03	.03	.00
(*4)	.01	.00	.03	.00	.00	.02	.00	.00	.01	.00	.00	.04	.00		.02	.00	.11	.16	.05	.06	.06	.04	.05	.02	.02	.03	.04	.06	.06		.05	.00	.00	.00
(/2)	.00	.00	.00	.00	.00	.00	.00	.04	.01	.01	.00	.01	.01		.16		.08	.07	.00	.03	.07	.03	.02	.04	.03	.08	.13	.05	.00	.01		.10	.13	.00
(/3)	.02	.02	.03	.01	.00	.00	.01	.07	.03	.02	.01	.04	.01		.07	.04	.11	.04	.06	.06	.02	.01	.01	.06	.02	.10	.08	.02	.00	.01	.12		.15	.00
(/4)	.02	.02	.00	.00	.00	.01	.00	.01	.02	.00	.00	.03	.00		.07	.03	.09	.10	.00	.03	.02	.03	.02	.01	.01	.02	.02	.01	.00	.01	.13	.17		.00
SUM	.01	.07		.06			.00		.07	.04	.06	.03	.00	.31 (6)	.09 (7)	.02	.11	.18	.02	.06	.18		.00	.07	.09	.12	.09	.06		.00		.05 (7)	.11 (8)	
	(0)	(0)	(0)	101	(0)	(0)	[0]	(0)	[0]	111	(0)	(7)	(0)	103	(1)	(0)	10)	(0)	(4)	111	(0)	(0)	(0)	(0)	(0)	10)	101	[0]	(0)	(1)	(0)	10	(0)	

- 1. Train the neural network on programs of lengths $T = 1 \dots 4$.
- 2. Test the network on test sets where all programs are of length 1...5
 - a. N.b. the above two steps lead to 20 train/test pairs
- 3. Run the sort-and-add enumerative search with all combinations of training and testing data until 20% of programs are solved
 - a. Compare the search with the learned attributes against the baseline priors as before



Experiment #2 Takeaway

- Neural networks are able to generalize beyond programs of the same length that they were trained on
 - This is a result of having a search on top of attribute learning: the search can correct for the bad assumptions of the network.

Further Research

More explicit guiding for LIPS

- Menon et al. (2013) takes a similar approach to this paper, but incorporates explicitly defined "clues" that can be gleaned from input-output examples
 - E.g. input is a permutation of the output
 - Clues cause a reweighting of probabilities
- Domains are slightly off:
 - Smaller training/testing corpus
 - DSL that they chose lends itself towards these clues much more directly

Aditya Krishna Menon, Omer Tamuz, Sumit Gulwani, Butler W Lampson, and Adam Kalai. A machine learning framework for programming by example. In *Proceedings of the International Conference on Machine Learning (ICML)*, 2013.

Improving the data structures in the DSL

- Li et al. (2016) attempt to predict logical features of the program
 - Instead of presence/absence of certain functions alone
 - Employs a GNN instead of the simpler feed-forward architecture
- Allows the learning to focus on data structure shape and growth instead of simply tracking data changes.

Yujia Li, Daniel Tarlow, Marc Brockschmidt, and Richard S. Zemel. Gated graph sequence neu- ral networks. In *Proceedings of the 4th International Conference on Learning Representations (ICLR)*, 2016.