

Code Red Worm Propagation Modeling and Analysis

Zou, Gong, & Towsley

Michael E. Locasto

March 4, 2003

Paper # 46

Overview

- Code Red incident data & impact
- epidemiology models
 - traditional (biological) infection models
 - two-factor worm model
- related work & questions
 - (Weaver & Sapphire)

Motivation

- Internet great medium for spreading malicious code
 - Code Red & Co. renew interest in worm studies
- Issues:
 - How to explain worm propagation curves?
 - What factors affect spreading behavior?
 - Can we generate a more accurate model?

Epidemic Models

- Deterministic vs. Stochastic
 - Simple epidemic model (paper #45)
 - general epidemic model (Kermack-Mckendrick
add notion of removed hosts)
- good baseline, need to be adjusted to explain Internet worm data
- any model must be deterministic (b/c of scale)

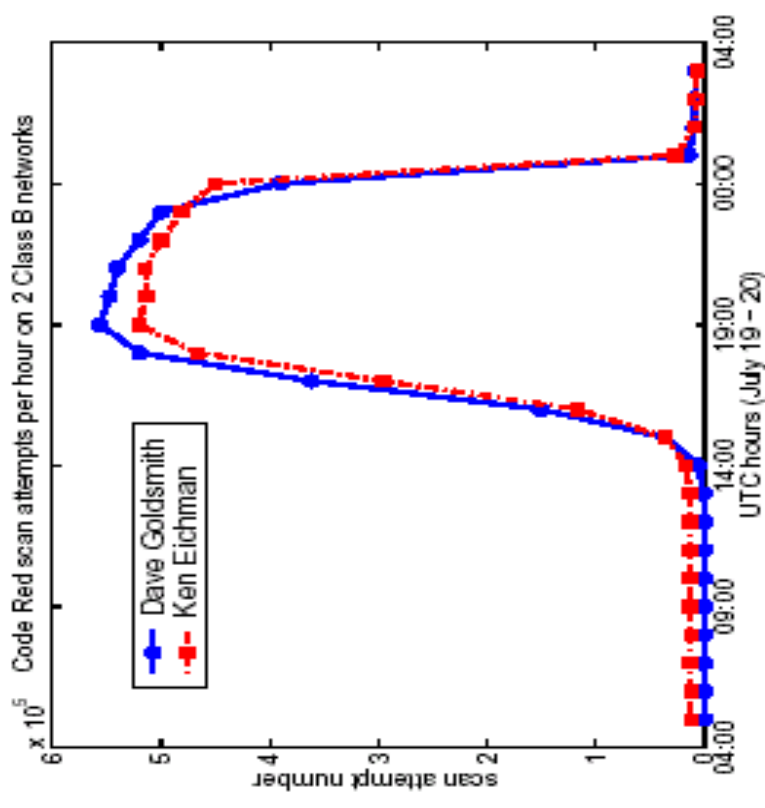
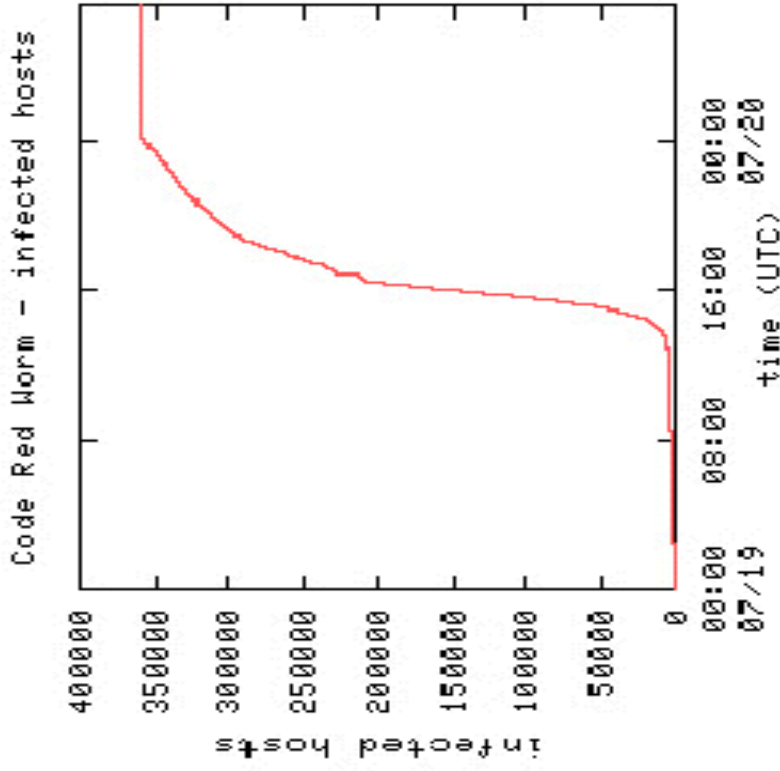
Two-Factor Worm Model

- Two major factors affect worm spread:
 - dynamic human countermeasures
 - anti-virus software cleaning
 - patching
 - firewall updates
 - disconnect/shutdown
 - interference due to aggressive scanning
- Rate of infection (β) is **not constant**

Two-Factor Worm Model (con)

- Two important restrictions:
 - consider only “continuously activated” worms
 - consider worms that propagate w/ort topology

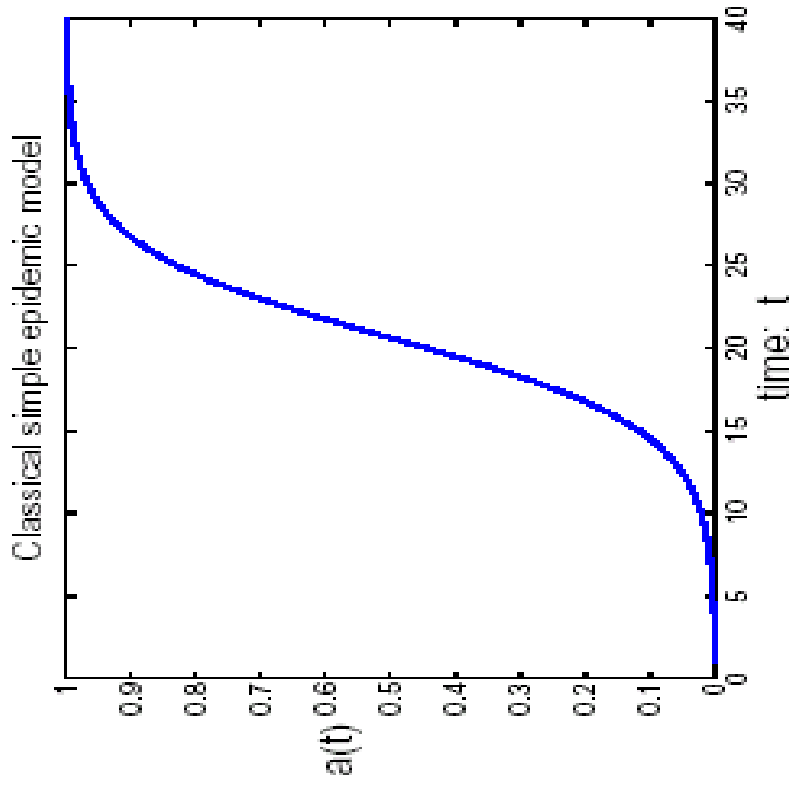
Infection Statistics



a. Code Red scan attempts

Classic Simple Epidemic Model

- Model presented in paper 45 (classic simple epidemic model, $k=1.8$, $k=BN$)
- $a(t) = J(t) / N$ (fraction of population infected)
- Wrong! (compare to last slide)



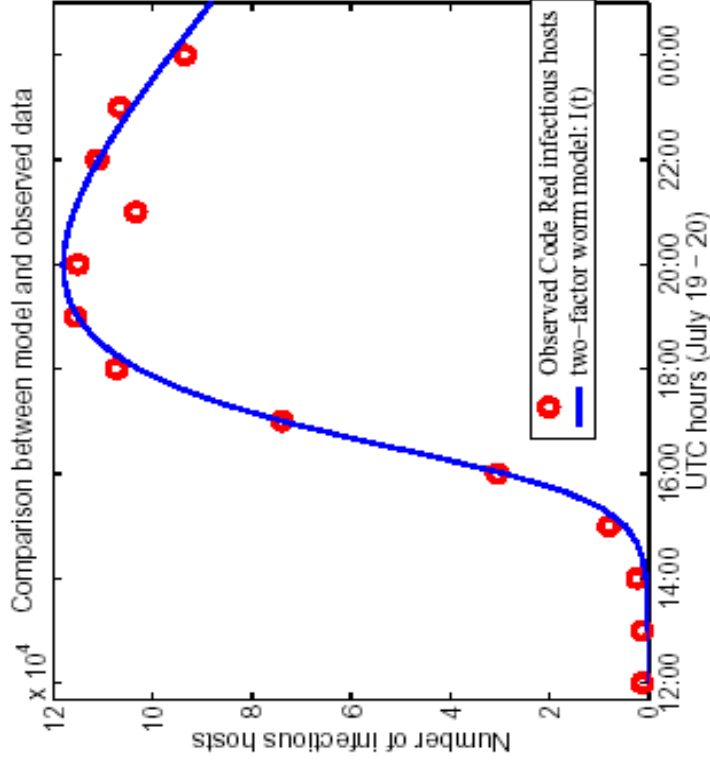
Simple Epidemic Model Math

- Variables:
 - infected hosts (had virus at some point) = $J(t)$
 - population size = N
 - infection rate = $\beta(t)$
- $dJ(t)/dt = \beta J(t)[N - J(t)]$

Two-Factor Model Math

- $dI(t)/dt = \beta(t)[N - R(t) - I(t) - Q(t)]I(t) - dR(t)/dt$
 - $S(t)$ = susceptible hosts
 - $I(t)$ = infectious hosts
 - $R(t)$ = removed hosts from I population
 - $Q(t)$ = removed hosts from S population
 - $J(t) = I(t) + R(t)$
 - $C(t) = R(t) + Q(t)$
 - $J(t) = I(t) + R(t)$
 - N = population ($I+R+Q+S$)

Two-Factor Fit



- Take removed hosts from both S and I populations into account
- non-constant infection rate (decreases)
- fits well with observed data

Figure 9: Comparison between observed data and our model

Results

- Two-factor worm model
 - accurate model without topology constraints
 - explains exponential start & end drop off
 - identifies 2 critical factors in worm propagation
- Only 60% of CR targets infected