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## Administrivia

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- HW\#2 due this week
- I'll cover running times today
- HW\#1 being returned between last week and $\qquad$ this week
- We'll coordinate returns better in the future $\qquad$
- Midterm in two weeks
- Format of the midterm $\qquad$
- I'll post a list of topics next week
- Extra review session? $\qquad$
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## Agenda

- Finish algorithms discussion (for now) $\qquad$
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## Here's another way to look at repetition

- $\mathrm{fib}(\mathrm{n})=\mathrm{fib}(\mathrm{n}-1)+\mathrm{fib}(\mathrm{n}-2)$, right? $\qquad$
- We can actually encode that in a computer
- Recursion: Define a solution in terms of a smaller version of itself
- Must have stopping (base) case(s)
- What's the base case for the above recursion?
- How about doing $x^{\wedge} y$ using recursion?


## Other recursive examples

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- Power ( $\mathrm{x}^{\wedge} \mathrm{y}$ )
- Binary search
- Palindrome checking
- Most iterative structures can be done recursively, $\qquad$ and vice-versa


## Algorithm efficiency

- Often, there's multiple ways to implement an $\qquad$ algorithm
- How to characterize if one's better or not? $\qquad$
- Two primary considerations: $\qquad$
- How fast does an algorithm run?
- How much memory does an algorithm take? $\qquad$
- Let's focus on the first one for now


## Our multiple Fibonacci algorithms

- Do they run at the same speed?
- Let's try fib(10) $\ldots$ then $20 \ldots$ then 40
- Hmm, why do they differ?
- And can we classify this difference
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## How fast does an algorithm run?

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- Let's first think of it in the context of steps $\qquad$
- How long might a linear search take through a list of N elements? $\qquad$
- Canonical way to characterize this is to use "big-Oh" notation
- Key insight: we're interested in orders of magnitude, not constants
- Strangely, book uses big-Theta notation, which is less used except when doing more formalized analysis


## Big-Oh notation

- Basic intuition: $\qquad$
- Find the number of steps in terms of $n$ or other variables $\qquad$
- Drop any constants or additive lower-order terms
- Put a O() around the result $\qquad$
- Let's look at the previous algorithms we discussed today and see what their big-Oh complexity is...
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## Other algorithms?

1. An algorithm to compute $\mathrm{n}!-$ recursively
2. Sort the contents of an array

- I don't like insertion sort - let's do bubble sort
- We'll continue to do more "interesting" algorithms as the semester proceeds

| Next time |
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