

CS1003/1004: Intro to CS, Spring 2004

Lecture #5: Data storage, algorithms

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Administrivia

- HW#1 is due Thursday
- HW#2 will come out at about the same time
- TA office hour changes
 - Check the website and webboard on a weekly basis
- Another UNIX tutorial session via the ACM
 - Not hands-on; more of a lecture style
 - Wednesday 7:30pm, 252 ET
- Is the board readable?

Agenda

- Finish up data representation
 - I'm going to skip flip-flops and two's complement until later in the semester, when it fits better
- Start algorithms discussion

Why do you care about bits?

- These are the basic building-blocks of a computer
- It turns out you can build *everything* up from those four primitive operations!
- Bit and logic constructs pervade throughout a programming language as well
 - Logic constructs are fundamental to programming

Some bits-and-bytes trivia

- 8 bits typically == 1 byte
- Blocks of memory done in powers of 2
- 2^{10} bytes == 1024 bytes == 1 kilobyte
- 2^{20} bytes == 1,048,576 bytes == 1 megabyte
- 2^{30} bytes == 1 gigabyte
- Confusion with metric terms
- Several different kinds of memory
 - RAM – Random Access Memory – very fast
 - Hard disks, CDs, tapes – mass storage systems – generally slower

Algorithm basics

- An algorithm is “an ordered set of unambiguous, executable steps”.
 - Ordered – does not imply “followed in order”
 - Executable – each step must be doable
 - Unambiguous – during execution, information in the state of the process must be sufficient to determine, uniquely and completely, the actions required by each step
 - Implies that the algorithm *terminates* with a result
 - The “halting problem”

Why do we care?

- Applies to real-world circumstances as well
 - Every activity of the human mind actually the result of an algorithm execution?
- Difference: we understand the real-world context
 - Once we understand the digital context, programming ultimately becomes easy
- Challenge: representing an algorithm
 - English is lousy for this
 - A major challenge in software design

So how do we represent algorithms?

- Several key building blocks
- Primitives (+, -, etc.)
 - Insufficient by itself for “higher-level” code – too repetitious, much like assembly
- Higher-order language constructs
 - *Assignment* ($a = b + 5$)
 - *Conditionals* (if ($a > 10$)...)
 - *Loops* (while ($a < 20$)...)
 - *Procedures* ($c = \text{random}()$)

What's pseudocode?

- A way of approximating the syntax of real code without getting lost in the syntactic details
- In essence, a cross between English and code
- Useful when trying to design an algorithm on paper
- In this class, I'll generally avoid pseudocode except when necessary
- You're welcome to use the book's model or my model

Procedures?

- I've dealt with this implicitly, but let's be more formal
- How does `printf(...)` or `System.out.println(...)` work?
 - Someone else has written the code to handle printing
 - These *procedures* may take *parameters* and may *return* a result
 - Note – many parameters, single result!
- Called *functions* in C, *methods* in Java

Why procedures?

- Code reuse
 - If we design a mathematical operation, we don't want to have to write it out repeatedly
- Code organization
 - Lets us “segment” the code to make it more readable and manageable
- Enables abstraction
 - Worry about the details of a particular task in its own procedure, not elsewhere

Declaring a procedure in C or Java

- Basic concept: just name one
 - Three parts: procedure name, return value's datatype, and argument list
 - Argument list is a pair of datatype and *variable name*
 - Why no name for the return value?
- Let's write a very simple example: finding the average of two numbers

Organizing code

- What does our `main()` function do, then?
- For any non-trivial program, generally `main()` is used to set up and control the program, and then all the handling is done in subsidiary functions
 - In C, order of functions may matter
 - In Java, *constructors* are also used for setup purposes
- This way, we avoid a 5,000-line `main()`
- Learning optimal organizing takes time and experience

How do we come up with algorithms?

- An imprecise science at best: problem-solving
 - Understand the problem
 - Get an idea of how/which algorithm might solve the problem
 - Formulate the algorithm and represent as a program
 - Evaluate the program for accuracy and potential to solve other problems
- This is not much help, is it?

“Get a foot in the door”

- Try doing the first (few) step(s) by hand
 - Look at what you had to do to accomplish it
 - See if you can reapply this to continue solving the problem
- Reapply another solution
- Stepwise refinement
 - Look at the problem from a very high level
 - Break it down repeatedly into smaller pieces, until we get a set of algorithmic steps

Iterative structures

- Very often, we need to *repeat* steps in order to solve a problem
- A number of basic methodologies that do precisely this
 - Sequential search algorithm
 - Loop-based control
 - Sorting
- Warning: need to keep track of *boundary conditions*

Let's try some simple examples

1. Print out the first n numbers, and keep a running total
2. Print out the first n Fibonacci numbers
3. Write a function that calculates x^y (i.e., raise x to the y power)
4. Reverse a list (array) of numbers

Next time

- Look at another approach to algorithm problem-solving
- Discuss how to compare algorithms and their efficiency
