# Data Structure in Java - Final Review

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This review sheet only lists topics covered after the midterm. Make sure to revisit the midterm review sheet as well.

### **Priority Queues / Heaps**

- Priotity Queue ADT including typical operations (insert, deleteMin).
- Implementation as a Heap:
  - Storing a complete binary tree in an array. Calculating parent/child addresses.
  - MinHeap vs. MaxHeap.
  - Implementation of insert and delete using percolate up/down.
  - Building a heap bottom-up in O(N).
- Algorithms that use Priority Queues
  - Selecting the k-th largest element.
  - Retaining the k-largest elements.
  - HeapSort.
  - Greedy algorithms (e.g. Dijkstra's, Prim's, Kruskal's, Huffman Code...).

#### Sorting

- Comparison-based sorting (e.g. insertion sort) vs. count-based sorting (e.g. bucket sort).
- Sorting algorithms. Need to know run time (worst/best/average), space requirements, stability.
  - Insertion Sort.
  - Heap Sort.

- Merge Sort: Top-down divide-and-conquer approach. Iterative bottom-up version.
- Quick Sort. Median-of-Three pivot selection strategy.

| Algorithms |                |                     |                 |                     |           |         |
|------------|----------------|---------------------|-----------------|---------------------|-----------|---------|
|            |                | Tworst              | TBest           | TAvg                | Space     | Stable? |
|            | Insertion Sort | $\Theta(N^2)$       | $\Theta(N)$     | $\Theta(N^2)$       | O(1)      | 1       |
|            | Shell Sort     | $\Theta(N^{3/2})^*$ | $\Theta(N)$     | $\Theta(N^{3/2})^*$ | O(1)      | ×       |
|            | Heap Sort      | $\Theta(NlogN)$     | $\Theta(NlogN)$ | $\Theta(NlogN)$     | O(1)      | ×       |
|            | Merge Sort     | $\Theta(NlogN)$     | $\Theta(NlogN)$ | $\Theta(NlogN)$     | O(N)      | 1       |
|            | Quick Sort     | $\Theta(N^2)$       | $\Theta(NlogN)$ | $\Theta(NlogN)$     | O(N)      | ×       |
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### Comparison-Based Sorting Algorithms

• Bucket Sort & Radix Sort.

## Graphs

- Basic concepts:
  - Vertices, Edges. Adjacency relation.
  - Directed vs. undirected graphs.
  - Weighted vs. unweighted graphs.
  - Paths. Simple paths.
  - Cycles. Directed Acyclic Graphs (DAGs).
  - Connectivity: Weak and Strong connectivity in directed graphs.
  - Complete Graphs.
- Graph data structures
  - Adjacency matrices vs. adjacency lists.
  - Storing information in vertex objects vs. storing them in separate tables.
- Graph Traversals
  - Depth First Search (DFS) using a Stack or recursion.
  - Breadth First Search (BFS) using a Queue.

- Single source shortest paths
  - BFS for unweighted graphs.
  - Dijkstra's for weighted graphs, using a Heap.
  - Using backpointers to retrieve the shortest path.
  - Effect of negative weight edges.
- Algorithms on DAGs
  - Computing topological order.
  - Critical path analysis on event-node graphs. Computing earliest completion time.
- Spanning Trees
  - Minimum spanning trees (MSTs).
  - Prim's algorithm.
  - Kruskal's algorithm.
  - Hierarchical clustering using MSTs.
- Applications of DFS
  - Definition of Euler Circuit/Path and Hamiltonian Circuit/Path.
  - Conditions for Euler Circuits and Euler Paths.
  - Repeated DFS to find Euler Circuits.
  - Connectivity: Use DFS to determine if a graph is connected.
  - Biconnectivity:
    - \* Articulation points, biconnected components.
    - \* DFS spanning trees with back-edges.
    - \* Determining biconnected components using the DFS spanning tree.
  - Strongly connected Components:
    - \* Determine if a graph is strongly connected.
    - \* Finding strongly connected components using a stack.

#### Types of algorithms

- Greedy algorithms:
  - $\ast\,$  U sually using a heap.
  - \* List example algorithms.
  - \* Huffman code. Huffmans' algorithm.

- Divide and Conquer:
  - \* Divide problem into easier subproblems, solve subproblems (usually recursively), then combine solutions.
  - \* List example algorithms.
  - \* Understand recurrence relation. Know what the Master Theorem is.
- Dynamic Programming:
  - \* Basic concept: cache and re-use solutions to sub problems.
  - $\ast\,$  List example algorithms.
  - \* Solving the Coin-Change problem.
  - \* Computing Edit Distance.