



H • Subprime Fibonacci Sequence

The *Subprime* function, $SP(n)$ of a positive integer n , is defined by:

$$SP(n) = n \quad \text{if } n \text{ is 1 or a prime}$$

Otherwise,

$$SP(n) = n/p \quad \text{where } p \text{ is the smallest prime dividing } n$$

A *Subprime Fibonacci sequence*, a_n , is defined by:

$$\begin{aligned} a_0 \text{ and } a_1 &\text{ are arbitrary} \\ a_{n+1} &= SP(a_n + a_{n-1}) \end{aligned}$$

For example:

$$0, 1, 1, 2, 3, 5, 4, 3, 7, 5, 6, 11, 17, 14, 31, 15, \dots$$

Unlike the standard *Fibonacci sequence* which grows exponentially, a *Subprime Fibonacci sequence* usually eventually repeats.

Write a program which takes as input the initial values a_0 and a_1 and a number of terms to compute n and determines whether the sequence starting with a_0 and a_1 repeats in the first n terms.

The sequence repeats if there are integers k and m with $k < m < n$ for which,

$$a_k = a_m \text{ and } a_{k-1} = a_{m-1}$$

The *length* of the repeating sequence is $(m - k)$ if there is no integer j , $k < j < m$ with $a_j = a_m$ and $a_{j-1} = a_{m-1}$. I.e. the sequence from k to m is the shortest repeating sequence.



Input

The first line of input contains a single decimal integer P , ($1 \leq P \leq 1000$), which is the number of data sets that follow. Each data set should be processed identically and independently.

Each data set consists of a single line of input. It contains the data set number, K , followed by the maximum number, n ($0 < n \leq 1000$), of terms to compute followed by the initial values a_0 and a_1 in that order, ($0 < a_0, a_1 \leq 1000$).

Output

For each data set there are multiple lines of output.

If a repeating sequence is found, the first line of output contains the data set number, K , followed by the index m where the sequence first repeated followed by the **length** of the shortest repeating sub-sequence. The following lines of output contain the (**length** + 2) terms of the sequence from term ($k-1$) to term (m), 20 terms to a line (except possibly for the last line).

If a repeating sequence is not found in the first n terms, the first line of output contains the data set number, K , followed by the number of terms n followed by the digit 0 . The following line contains only the value a_n of the sequence at n (the $(n+1)^{th}$ term).

Sample Input	
3	
1	1000 0 1
2	10 31 23
3	200 15 17
Sample Output	
1	57 18
	48 13 61 37 49 43 46 89 45 67 56 41 97 69 83 76 53 43 48 13
2	10 0
	88
3	137 136
	15 17 16 11 9 10 19 29 24 53 11 32 43 25 34 59 31 45 38 83
	11 47 29 38 67 35 51 43 47 45 46 13 59 36 19 11 15 13 14 9
	23 16 13 29 21 25 23 24 47 71 59 65 62 127 63 95 79 87 83 85
	84 13 97 55 76 131 69 100 13 113 63 88 151 239 195 217 206 141 347 244
	197 147 172 29 67 48 23 71 47 59 53 56 109 55 82 137 73 105 89 97
	93 95 94 63 157 110 89 199 144 49 193 121 157 139 148 41 63 52 23 25
	24 7 31 19 25 22 47 23 35 29 32 61 31 46 11 19 15 17