

Security Handshake Pitfalls

Login with Shared Secret: Variant 1

B: R , A: $K_{AB}\{R\}$, where $K\{\}$ can be hash

- authentication not mutual
- connection hijacking
- off-line password attack
- compromise of database at Bob \Rightarrow impersonate Alice

Login with Shared Secret: Variant 2

B: $K_{AB}\{R\}$, A: R where $K\{\}$ is reversible (DES)

- T: get K without eavesdropping \Rightarrow off-line guessing
- weakness of Kerberos 4
- if R has non-random part (e.g., timestamp), Alice can authenticate Bob

Login with Shared Secret: One Way

A: $K_{\text{Alice-Bob}} \{\text{timestamp}\}$

- requires synchronized clocks
- piggyback on password scheme
- stateless
- replay attacks \implies remember messages within clock skew window
- replay attack: several servers with same secret \implies include server name
- need to protect Bob's clock from being set back \implies secure NTP

use MD instead of encryption \implies include timestamp in the clear

One-Way Public Key

A: hi; B: R ; A: $[R]_{\text{Alice}}$ \implies A signs R

A: hi; B: $\{R\}_{\text{Alice}}$; A: R \implies A signs R

- database at B only write-locked, not read-locked
- either signature (DSS, RSA) or encryption (RSA)
- can trick Alice into signing or decrypting message
- \implies new protocol can compromise old!
- impose structure on message for different uses \implies PKCS

Lamport's Hash

- safe from eavesdropping, database reading
- no public key cryptography
- Alice (human + workstation): password
- Bob (server): username, n (decremented on login), $\text{hash}^n(\text{pw})$

Authentication:

- Alice: name \rightarrow Bob; Bob: $n \rightarrow$ Alice
- Alice: send $x = \text{hash}^{n-1}(\text{pw})$
- Bob: compare $\text{hash}(x)$ with database
- Bob: store new value
- new password: transmit unencrypted

Lamport's Hash, Salted

- random number r (seed, salt), stored at Bob
- transmit $\text{hash}^n(p|r)$
- different r for different servers
- re-install with different seed value
- avoids precomputation of hashes from dictionary, comparing with database

Lamport's Hash – Small n Attack

- no mutual authentication
- Bob sends small n , say, 50
- Alice sends hash⁵⁰
- \Rightarrow Bob can generate hash⁵¹, hash⁵², ...
- \Rightarrow Alice has to check if next lower n

pencil-and-paper

S/KEY and OTP

- Karn (Bellcore): S/KEY
- RFC 2289 (Feb. 1998)
 - Lamport with alphanumeric salt
 - hash: MD4, MD5, SHA1
 - challenge: `otp-md5 n seed`
 - 64-bit hash: $\text{MD5}(\text{pw} \mid \text{seed}) \xrightarrow{\text{XOR}} 64\text{-bits}$
 - use either 16 hex digits or six words (1 to 4 letters, 11 bits) for key
 - race condition: finish before legitimate user

Mutual Authentication: Shared Secret (simplified)

$A \rightarrow B$ I'm Alice, R_2

$B \rightarrow A$ $R_1, K_{AB}\{R_2\}$

$A \rightarrow B$ $K_{AB}\{R_1\}$

Mutual Authentication – Reflection attack

$T \rightarrow B$ I'm Alice, R_2

$B \rightarrow T$ $R_1, K_{AB}\{R_2\}$

Second login by Trudy:

$T \rightarrow B$ I'm Alice, R_1

$B \rightarrow T$ $R_3, K_{AB}\{R_1\}$

Fixes:

- different keys for Alice, Bob (derived key) \Rightarrow T can't get B to encrypt something using A's key
- different-type challenges for initiator and responder
- “initiator first to prove identity”
- password guessing: don't reveal $K(R)$, R chosen by T

Mutual Authentication: Public Keys

$$\begin{array}{ll} A \rightarrow B & \text{I'm Alice, } \{R_2\}_B \\ B \rightarrow A & R_2, \{R_1\}_A \\ A \rightarrow B & R_1 \end{array}$$

variant: sign instead of encrypt

- get *signed* public key (third party, Alice) from Bob
- Bob stores his public key encrypted with Alice's password

Mutual Authentication: Timestamps (Shared Secret)

$A \rightarrow B$ I'm Alice, $K_{AB}\{t\}$

$B \rightarrow A$ $K_{AB}\{t + 1\}$

$t + 1$ \Rightarrow Trudy can impersonate Alice \Rightarrow include direction flag

Session Keys

- limits exposure of secrets to semi-trusted components
 - shared secrets
 - public keys
 - Bob knows Alice's public key, Alice knows private key
 - Alice knows password, Bob knows n and $\text{hash}^n(\text{pw})$

Session Key: Shared Secret

$A \rightarrow B$ I'm Alice

$B \rightarrow A$ R

$A \rightarrow B$ $K_{AB}\{R\}$

- use $(K_{AB} + 1)\{R\}$ as session key or $f(K_{AB})\{R\}$
- $K_{AB}(R + 1)$ bad \implies Trudy can record and then challenge with $R + 1$
- \implies not quantity encrypted with K_{AB}

Session Key: Two-Way Public Key

$A \rightarrow B: \{R\}_B$

- weakness: T can send own $\{R\}$ to B

$A \rightarrow B: [\{R\}_B]_A$

- can record conversation, break into B, decrypt
- Alice forgets $R \implies$ overrunning A doesn't help

A: R_1 , B: R_2

$A \rightarrow B: \{R_1\}_B; B \rightarrow A: \{R_2\}_A \implies$ key $R_1 \oplus R_2$

- T needs to overrun both
- T needs to decrypt one \implies no need to sign

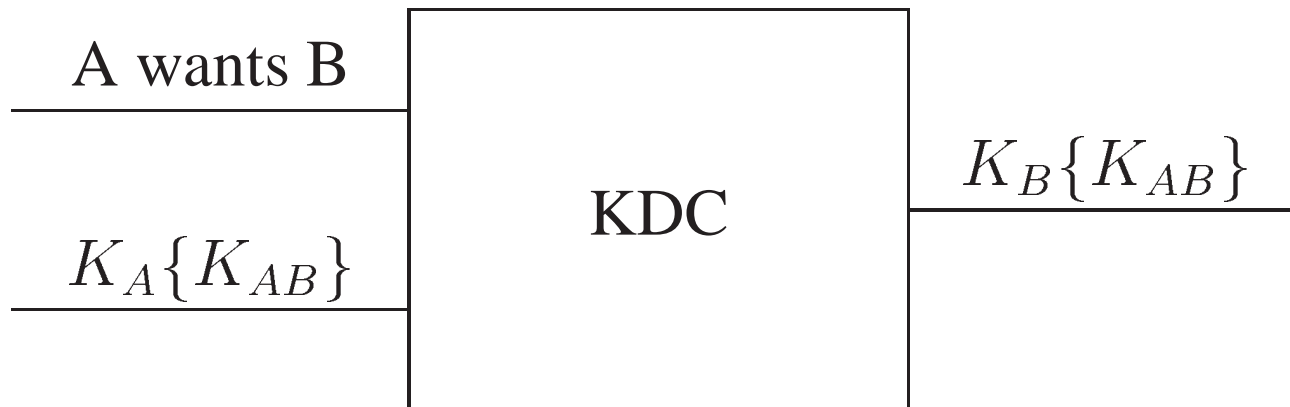
Diffie-Hellman with signing \implies no bucket-brigade attack

Privacy and Integrity

- replay attack \implies long sequence numbers
- sequence number space rollover \implies key rollover

Mediated Authentication

- KDC sends shared session key encrypted with destination key
- avoid race conditions: KDC sends “ticket” to A



Needham-Schroeder

- *nonce*: number used once \rightsquigarrow seq. no., random number
1. $A \rightarrow \text{KDC}: N_1$, Alice wants Bob
 2. $K_A\{N_1, \text{“Bob”}, \text{ticket}\} \rightsquigarrow N_1$ to authenticate KDC
ticket = $K_B\{K_{AB}, \text{“Alice”}\} \rightsquigarrow$ KDC ensures Bob that it's Alice
 3. $A \rightarrow B$: challenge Bob with $K_{AB}\{N_2\}$, send ticket
 4. $B \rightarrow A: K_{AB}\{N_2 - 1, N_3\} \rightsquigarrow$ B proves knowledge of K_{AB}
 5. $A \rightarrow B: K_{AB}\{N_3 - 1\} \rightsquigarrow$ A proves knowledge of K_{AB}

Needham-Schroeder: Reflection Attack

$B \rightarrow A: K_{AB}\{N_2 - 1, N_3\}$

- assume: N_i multiple of encryption blocksize
- ECB \Rightarrow message splicing: put together own plus revealed
- with CBC, no need to decrement N_2, N_3

Needham-Schroeder: Limit Compromise

- Trudy steals Alice's key \implies can impersonate Alice until key change.
- Alice changes key \implies ticket to Bob stays valid
- also: T steals old key of Alice
- fix:
 1. $A \rightarrow B$: hello!?
 2. $B \rightarrow A$: $K_B\{N_B\}$, N_B made part of ticket \implies B knows

Otway-Rees

- 5 messages, no use of stale tickets
 - suspicious party should generate challenge
1. nonce N_C
 2. KDC checks if N_C the same in both \Rightarrow Bob \checkmark
 3. give ticket; ensures that KDC and Bob are legit
 4. B hands (unreadable to B) ticket to A
 5. A proves knowledge of K_{AB} ; A trusts KDC to authenticate B

Kerberos V4

- based on Needham-Schroeder, but with timestamps
- save exchange of nonces

Bellovin-Merritt

- prevent password guessing when T has $R, K\{R\}$
- eavesdropping or address faking of A, B
- Diffie-Hellman exchange, encrypted with shared secret
- \Rightarrow agree on common key
- finally, prove possession of common key
- can't guess key from D-H: random numbers!
- K is just session key
- avoid reflection attack

Bellovin-Merritt, with Hash

- Bob only stores hash of A's password and private key encrypted with password
- $K_{AB} = \text{hash}(\text{pw})$
- D-H \implies shared secret K based on hash
- Alice proves knowledge of K (=hash) by encrypting R
- Bob encrypts Alice's encrypted private key
- Alice signs R , Bob verifies using public key
- Bob needs to keep encrypted password secret!

Avoiding Password Guessing

- Don't send encrypted version and plaintext
 - protection against active and passive attacks
 - another attack: impersonate Bob
1. send to anyone \Rightarrow active attack
 2. prove knowledge of Alice's secret
 3. encrypt (2) via session key
 4. encrypt (2) with secret or public key for Bob
 5. use Bellovin-Merritt, then (1) or (2)

Nonce Types

- timestamp \implies synchronized clocks
- large random number \implies cannot predict, guess
- sequence number \implies non-volatile state

Nonce Types: Sequence Numbers

$A \rightarrow B$ I'm Alice

$B \rightarrow A$ $K_{AB}\{R\}$

$B \rightarrow A$ $(K_{AB} + 1)\{R\}$

R just has to be non-repeating

Random Numbers

needed for:

- cryptographic keys
- challenges
- IVs
- per-message secrets for El-Gamal/DSS

random: unpredictable (π) or unguessable

pseudorandom: deterministic algorithm

- thermal (noise diode), video, audio noise
- keyboard timing, disk seek times
- current clock bits

- process number, system load, number of users, . . .
- packets seen, sent
- hardware id

Generating Random Numbers

- start with random seed, then hash
- pseudorandom number generator:
 1. hash of seed
 2. hash of (previous output | seed)

Performance

Computation: bytes hashed, private key $>$ public key; parallelization?

Delay: message exchanges

Cacheability: for repeated authentication